

YAC: An Atomic Data Calculation Tool

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Nov. 15-19, 2004 APS Meeting, Savannah, GA



Abstract

A convenient and flexible graphical user interface has been developed for the YAC atomic physics code. [The YAC code computes opacities and detailed spectral information using a relativistic atomic model (Dirac equation) that is accurate for medium and high-Z plasmas.] Combining HDF5 (Hierarchical Data Format 5) with Java technology, the YAC user interface features database searching, data presenting and plotting on various computer platforms. The interface is designed to support multiple plasma models (LTE, Corona, CRE) and multi-component plasmas. As an illustration of the usefulness of the tool, an aluminum plasma spectrum is generated and compared with experiments. Good agreement is obtained. By visualizing the output, a deeper understanding of the spectrum structure is acquired through the YAC tool.



Average Configuration Approximation

Relationship between configuration rates and orbital rates

$$Q_{c-c} = q_{c-c} \begin{bmatrix} 1 - \frac{q_{\beta}}{g_{\beta}} & \frac{q_{\beta} - \delta_{\beta}}{g_{\beta}} \\ \frac{q_{\beta} - \delta_{\beta}}{g_{\beta}} & \frac{q_{\beta} - \delta_{\beta}}{g_{\beta}} \end{bmatrix} Q_{orb}$$

Electron collisional excitation:

$$Q(n_i l_i - n_f l_f) = \frac{8\pi m_e^2}{(2l_i + 1)E} \sum_{\lambda} \frac{1}{2\lambda + 1} \bar{D}_{\lambda}^2 + \sum_{\lambda} \frac{1}{2\lambda + 1} \bar{E}_{\lambda}^2 + \sum_{\lambda} \sum_{\lambda'} (-1)^{l_i + l_f + \lambda} \begin{Bmatrix} l_i & l & \lambda \\ l_f & l & \lambda' \end{Bmatrix} \bar{D}_{\lambda} \bar{E}_{\lambda'}$$

Electron collisional ionization:

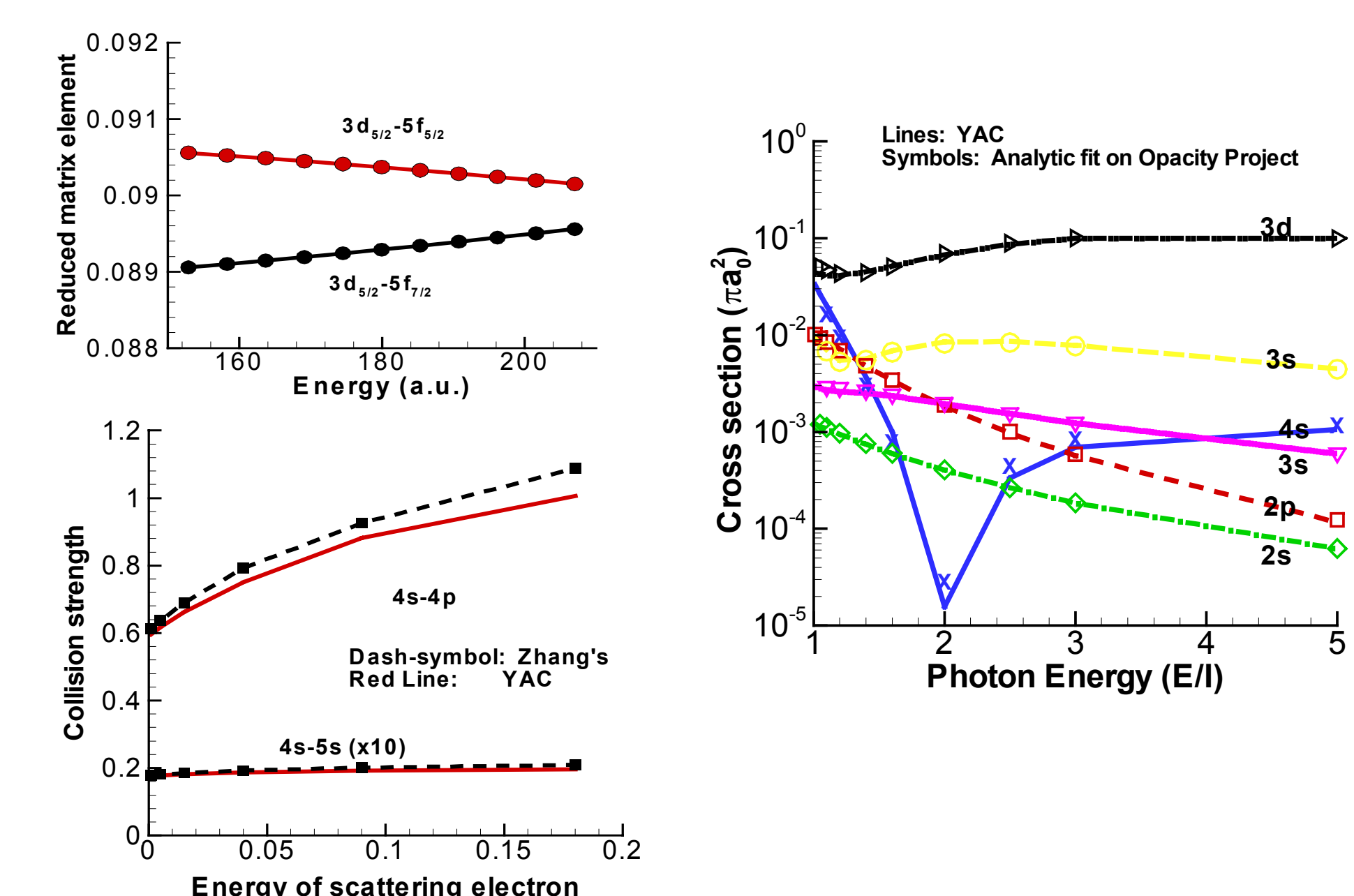
$$Q(n_i l_i) = \frac{8\pi a_0^2}{(2l_i + 1)E} \int_0^{v_i} dv \sum_{\lambda} \frac{1}{2\lambda + 1} \bar{D}_{\lambda}^2 + \sum_{\lambda} \frac{1}{2\lambda + 1} \bar{E}_{\lambda}^2 + \sum_{\lambda} \sum_{\lambda'} (-1)^{l_i + l_f + \lambda} \begin{Bmatrix} l_i & l & \lambda \\ l_f & l & \lambda' \end{Bmatrix} \bar{D}_{\lambda} \bar{E}_{\lambda'}$$

Autoionization:

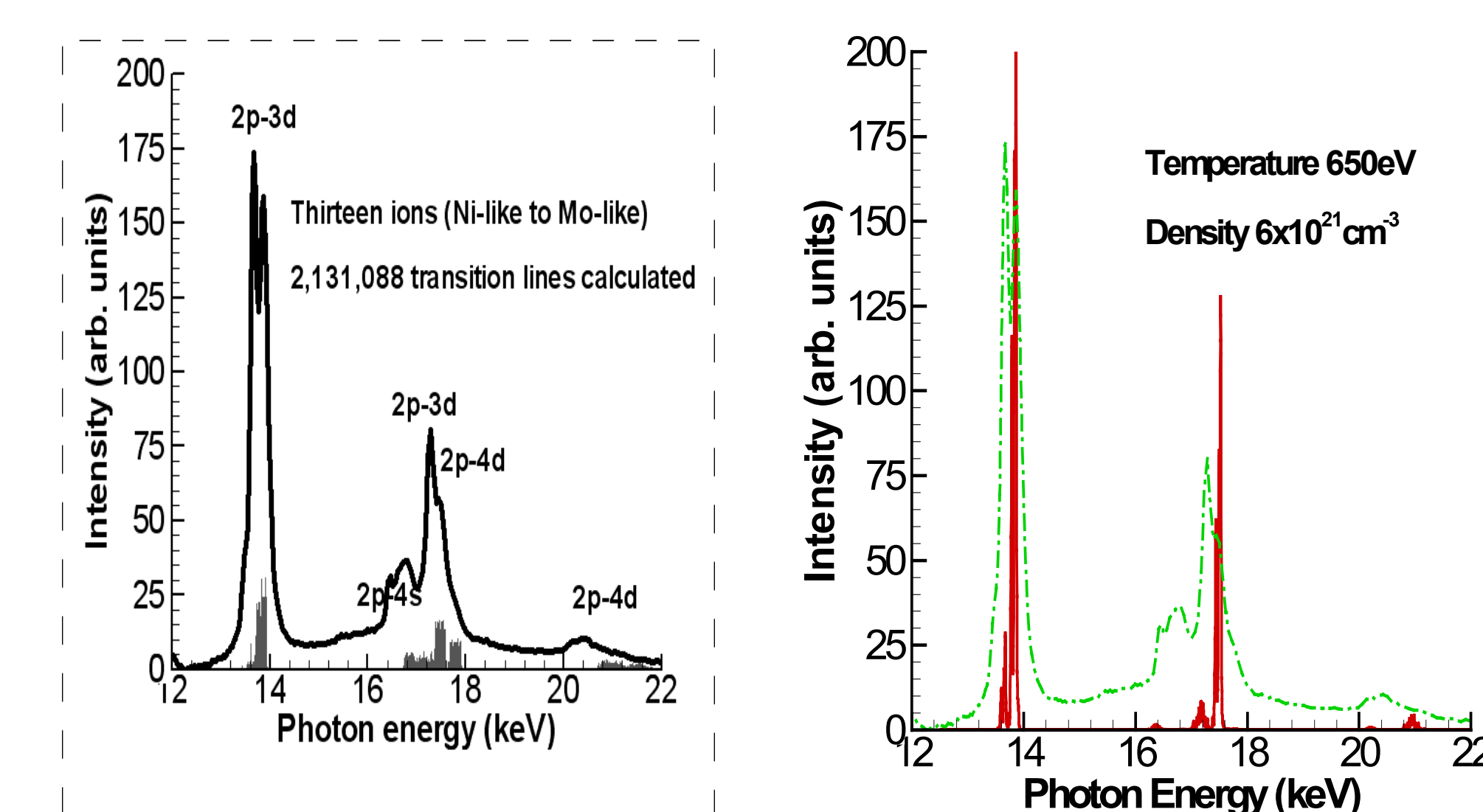
$$A(n_i l_i n_j l_j - n_f l_f) = \frac{2\pi}{h} \sum_{\lambda} \frac{1}{2\lambda + 1} \bar{D}_{\lambda}^2 + \sum_{\lambda} \frac{1}{2\lambda + 1} \bar{E}_{\lambda}^2 + \sum_{\lambda} \sum_{\lambda'} (-1)^{l_i + l_f + \lambda} \begin{Bmatrix} l_i & l & \lambda \\ l_f & l & \lambda' \end{Bmatrix} \bar{D}_{\lambda} \bar{E}_{\lambda'}$$



YAC Results and Comparison with Other Calculations



Transitions for Thirteen Ions and Synthetic Emission Spectrum

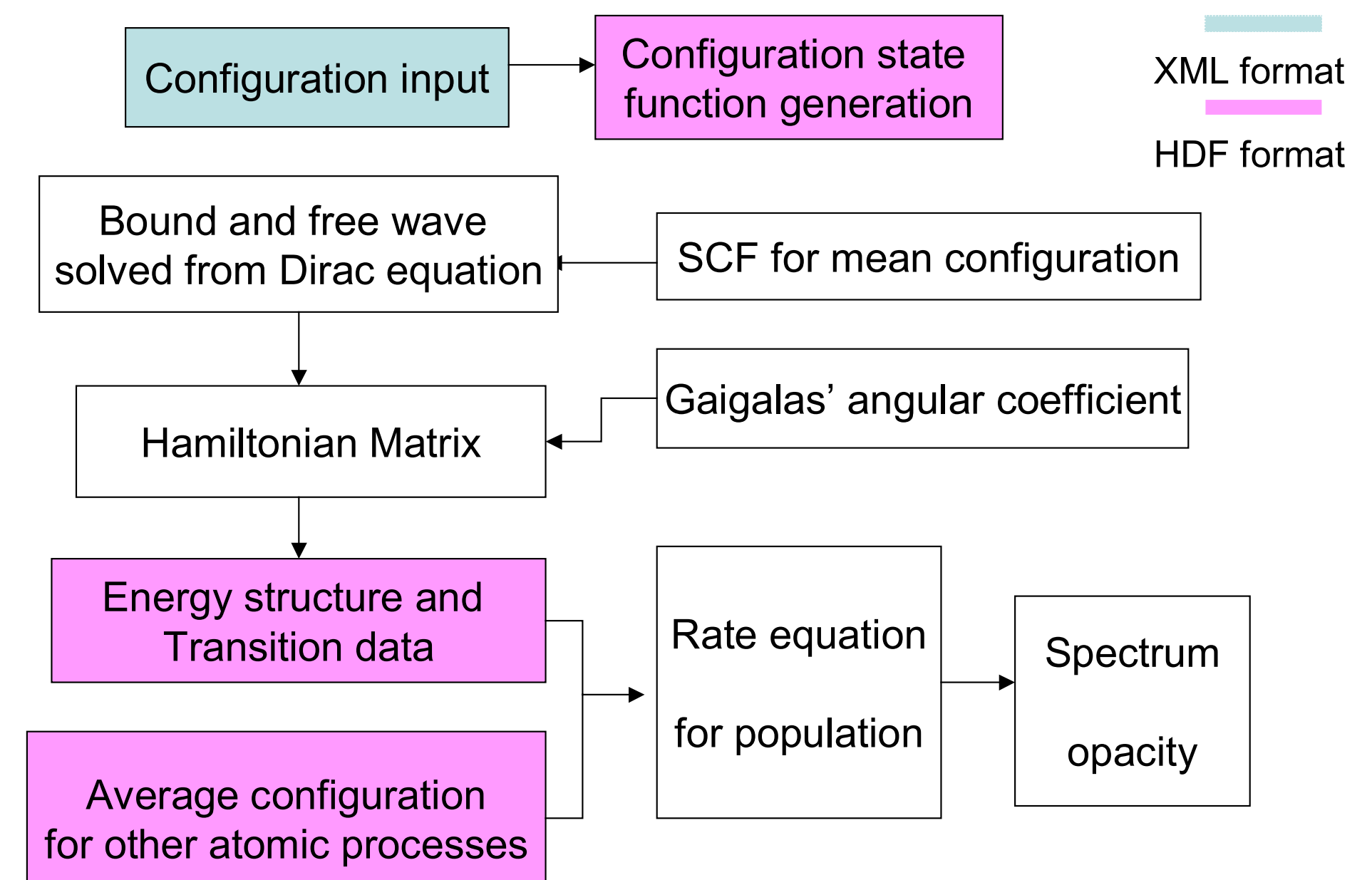


Outline

1. Introduction
2. Formalism used in the code
3. Code structure
4. Comparison with other theoretical calculations
5. Application to spectrum analysis
6. Summary

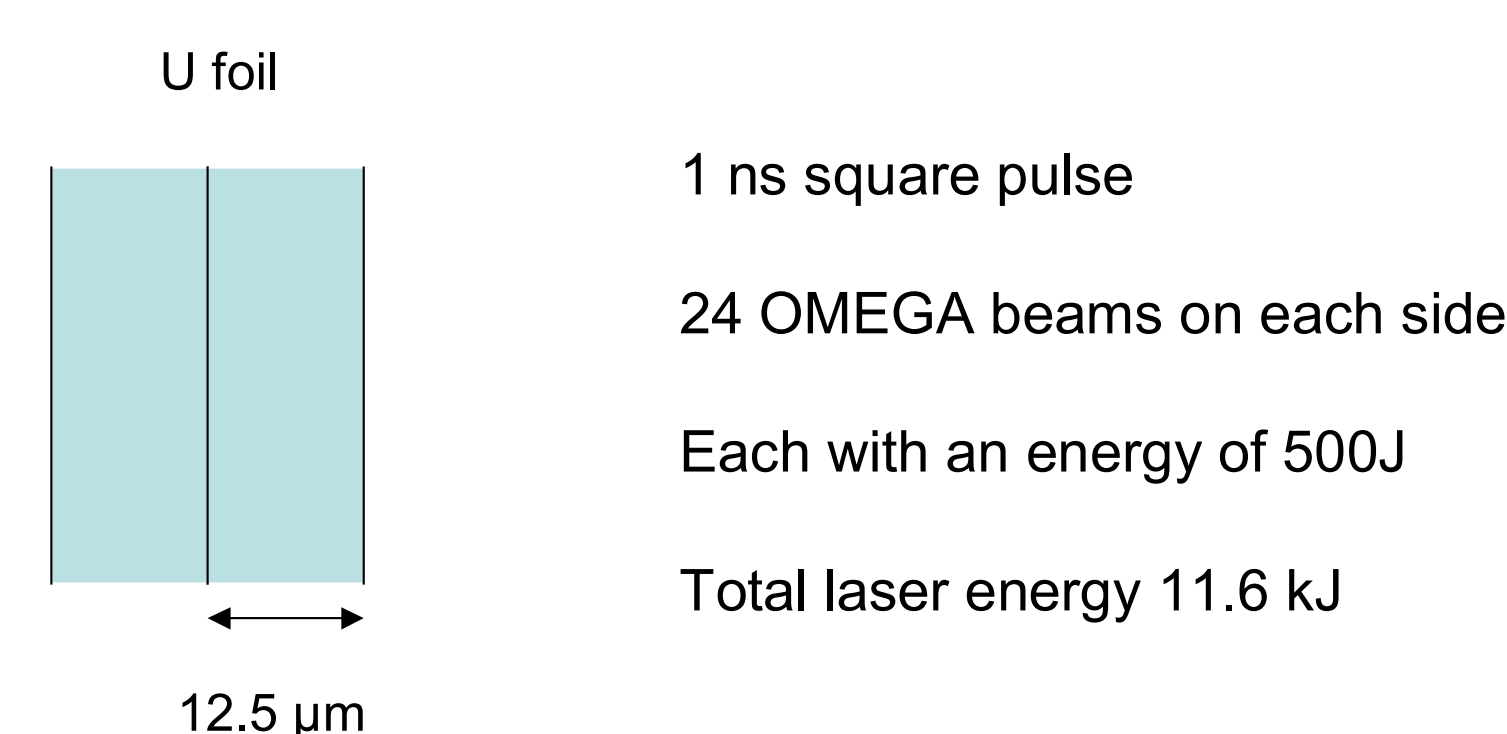


YAC Code Structure

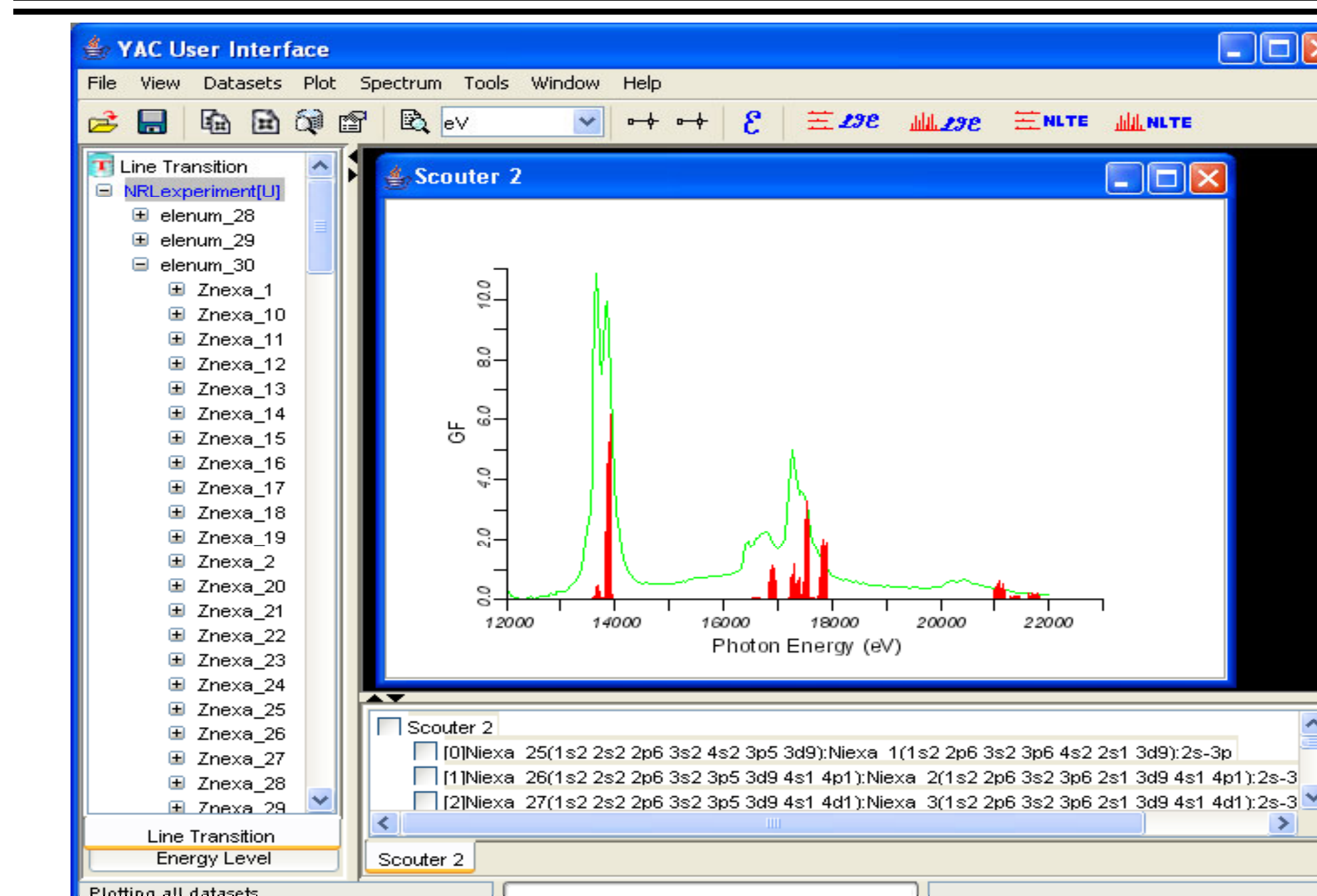


Application to Hard X-ray Emission

- Experiment on hard X-ray emission from laser-produced U plasma
- Hydrodynamic simulation using the Bucky code



Screen Shot of YAC User Interface

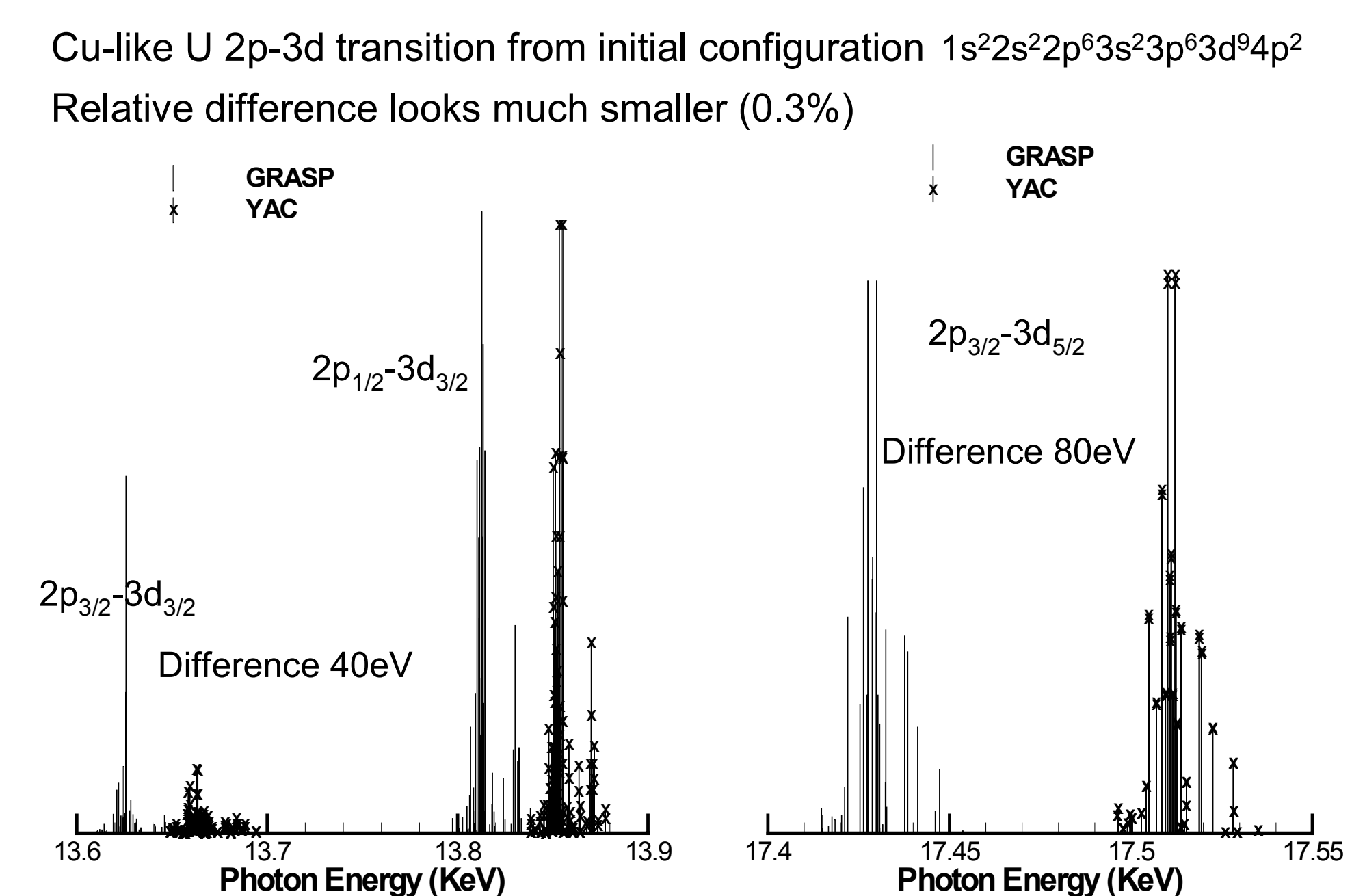


Overview of Existing Codes

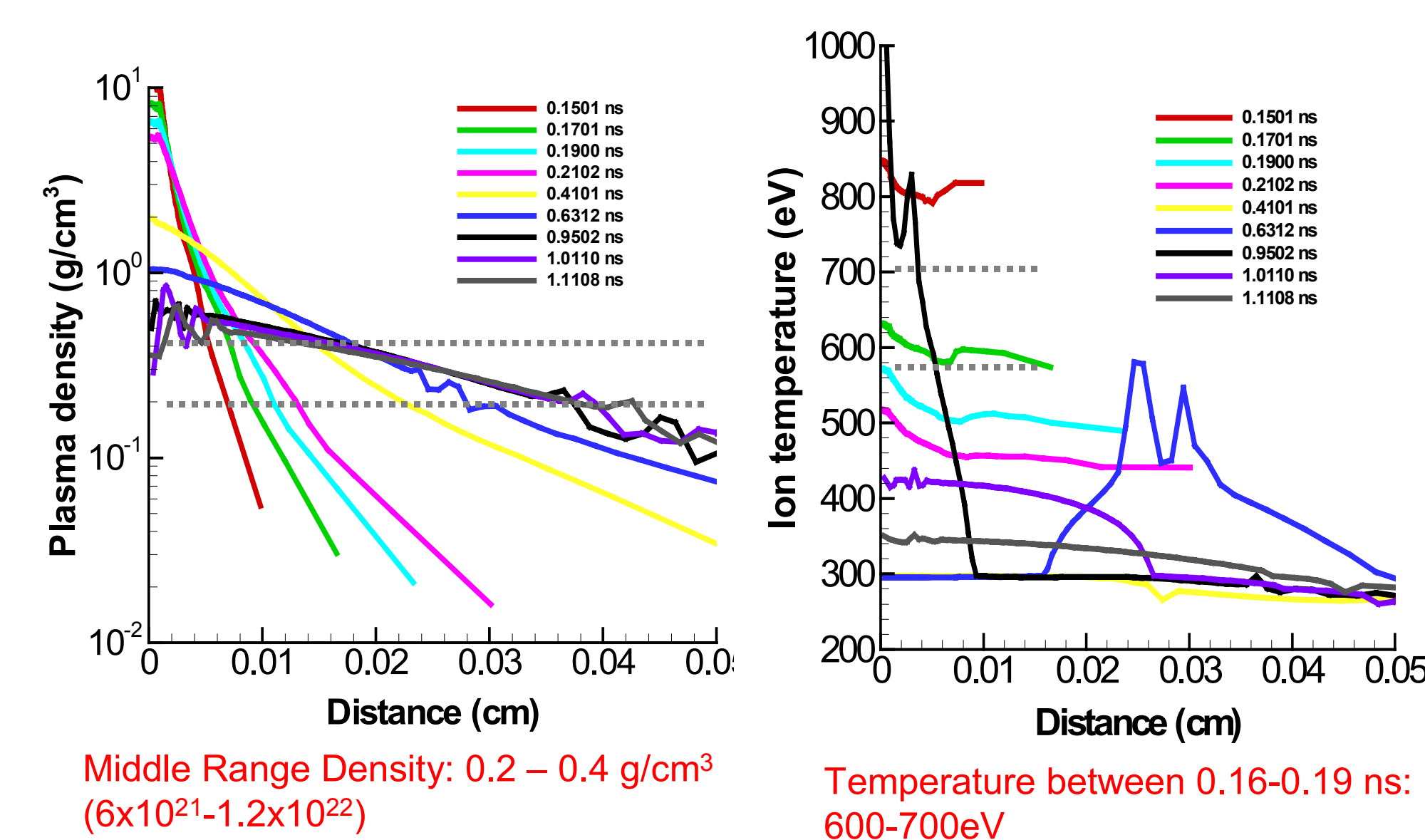
Non-relativistic (include relativistic effects):	❖	Public available
SUPERSTRUCTURE		
❖ Cowan's code		
❖ MCHF by F. Fischer		
Relativistic:		
❖ GRASP by Grant		
HULLAC by Klapisch, Bar-shalom		
In our group:		
JATBASE, RSSUTA		
YAC: develop an integrated package similar to HULLAC		



Comparing with GRASP Calculations



Hydrodynamic Simulations from BUCKY



Summary

- We are developing an integrated package for the calculation of a variety of atomic processes.
- The code structure and formalism are described, and calculations are compared with other theoretical results.
- The code is used with the hydrodynamic code to analyze hard X-ray emission from laser produced Uranium plasmas. Further study is needed to resolve the disagreement.
- Future code developments include detailed level-by-level calculations for other atomic processes.



Hartree-Fock-Slater Atomic Structure

N-electron Hamiltonian: Atomic state function:

$$H = \sum_{i=1}^N H_D(i) + \sum_{i,j}^N \frac{1}{r_{ij}} \Psi = \sum_{r=1}^n c_r \Phi_r$$

Dirac equation: Self-consistent potential:

$$F_{nk} = a_p^{-1/2}(r) P_{nk}(r) V(r) = -\frac{Z}{r} + V_c(r) - \zeta \frac{3}{2} \left(\frac{3}{\pi} \rho(r) \right)^{1/3}$$

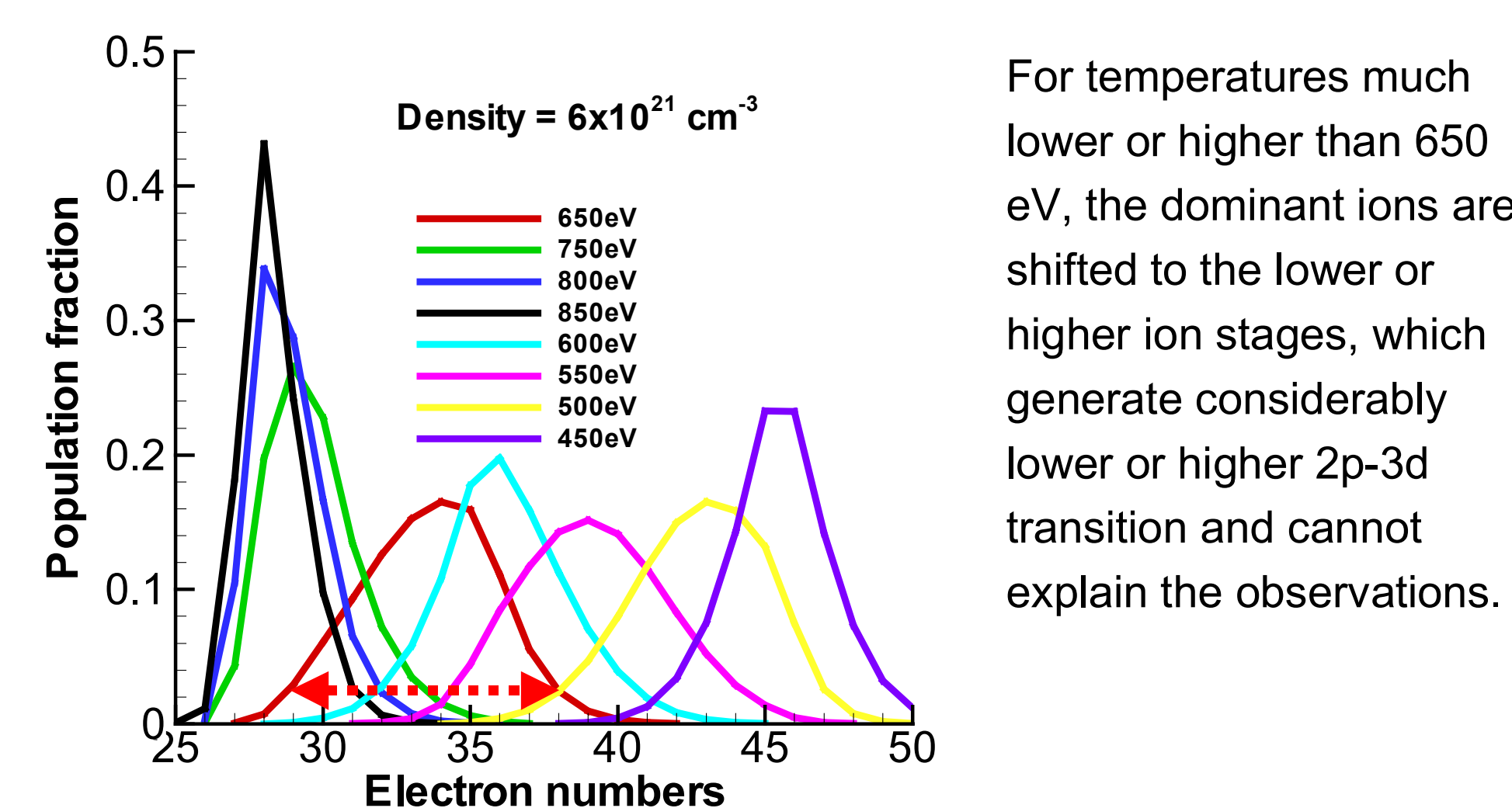
$$\frac{d^2}{dr^2} F_{nk}(r) + \xi(r) F_{nk}(r) = 0$$

$$\text{Transition oscillator strength: } S_{ij} = \left| \sum_{\alpha} C_{\alpha} C_{\beta} \sum_{\alpha'} \langle \Phi_{\alpha} || Z^{\lambda} || \Phi_{\beta} \rangle \bar{M}_{\alpha\beta}^{\lambda} \right|^2$$

$$g_{ij}^{\lambda} = \frac{1}{[L]} \omega S_{ij}$$



CRE Quasi-Steady State Population



For temperatures much lower or higher than 650 eV, the dominant ions are shifted to the lower or higher ion stages, which generate considerably lower or higher 2p-3d transition and cannot explain the observations.

