

# Isotopic Analysis of the In-Zinerator Actinide Management System

Paul Wilson,  
P. Phruksarojanakun,  
L. El-Guebaly, R. Grady,  
B. Cipiti (SNL)

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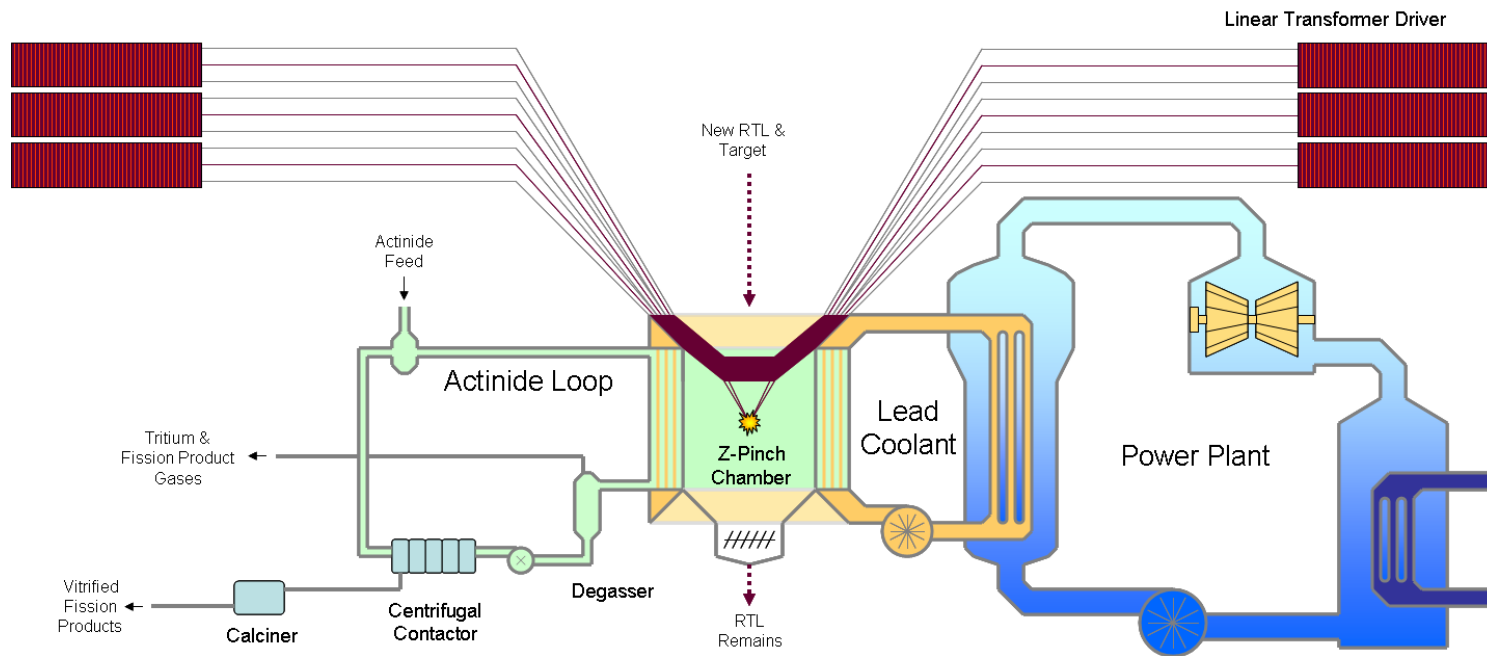
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# Overview

- In-Zinerator
- Problem Description
- Isotopic Inventory Tool – MCise
- Results
- Future Work

# In-Zinerator

- Designed to reduce heat load, and radiotoxicity of nuclear waste from LWR



# In-Zinerator - Features

- Sub-critical blanket with Z-pinch fusion
  - Fusion Source – 200 MJ D-T, 0.1 Hz
- Fuel - Actinides in eutectic liquid form
  - $(\text{LiF})_2\text{AnF}_3$
  - Continuously reprocessed
- Coolant – Lead surrounding an annular of 5-cm fuel tubes
- Structural Material – Hastelloy-N

# In-Zinerator - Challenges

- Fusion yield of Z-pinch
- Reactivity control
- Shock mitigation from x-ray pulses
- Heat Removal
- Safety and concerns from liquid fuel
- Tritium breeding
- Burnup and transmutation calculation

# What is MCise?

- Monte Carlo Isotopic Simulation Engine
- Important Capabilities
  - Online extraction – FP removal
  - Continuous feed – Fuel replenishment

# Background & Motivation

Control Volume

Neutron Flux ( $\phi$ ), Residence Time ( $t_R$ )

$$\lambda_{eff} \equiv \int \phi(E)\sigma(E)dE + \lambda_{decay}$$

Mean reaction time

$$t_m = 1/\lambda_{eff}$$

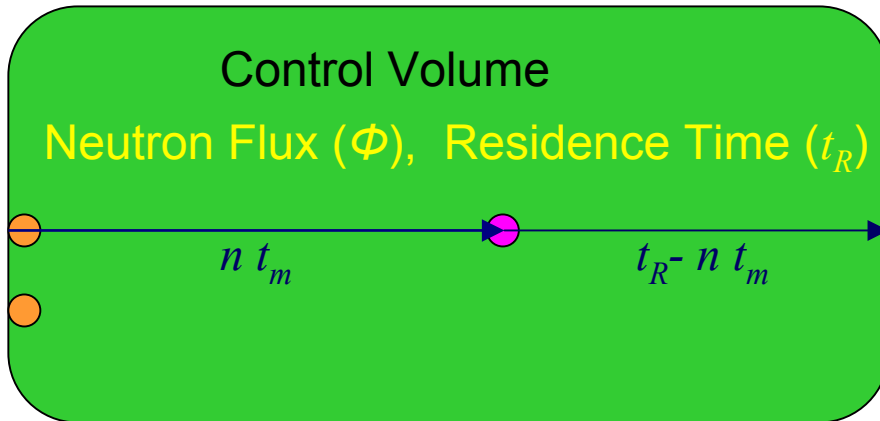
- Convert residence time to number of mean reaction times for this isotope

$$n_R = \frac{t_R}{t_m}$$

- Randomly sample number of mean reaction times before next reaction

$$n = -\ln \xi$$

# Background & Motivation



$$\lambda_{eff} \equiv \int \phi(E)\sigma(E)dE + \lambda_{decay}$$

Mean reaction time

$$t_m = 1/\lambda_{eff}$$

- While  $n_R > n$ , reaction occurs.
  - Randomly sample a type of reactions
  - $t_R \Rightarrow t_R - n t_m$
  - Repeat until  $n > n_R$ 
    - Particle leaves control volume (history ends?)

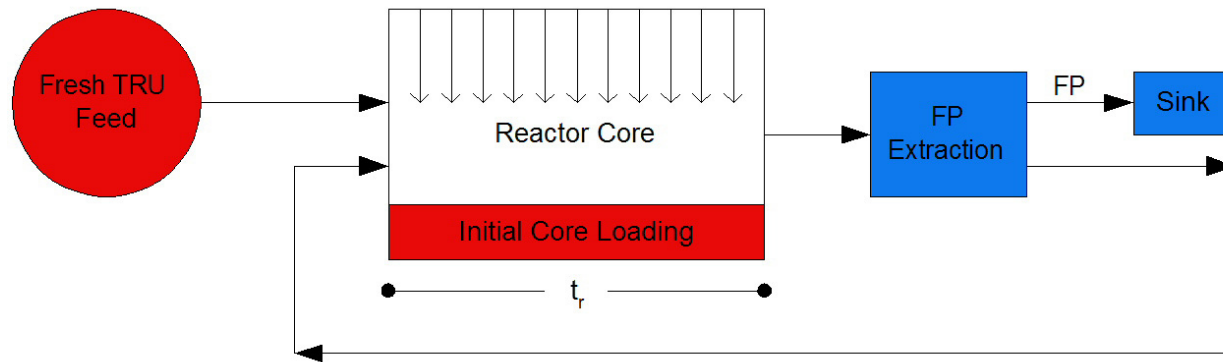




# Comparison to Monte Carlo Transport

<b>Element</b>	<b>Transport</b>	<b>Inventory Analysis</b>
Source quanta	Neutral particles	Individual atoms
Characteristic dimension	Length of geometric cell	Residence time in control volume
Basic sampling quanta	Mean free paths between reactions (macroscopic cross-section)	Mean times between reactions (effective total transmutation & decay rate)
Primary particle characteristic	Energy	Isotopic identity

# In-Zinerator MCise Model



- Flux obtained from MCNP
- $t_R = 100$  days,  $T_{sim} = 20000$  days
- Two sources
  - Initial core loading - uniformly distributed in the core
  - Continuous feed - at the beginning of the core

# Birth Time of Atom Sources

- Initial Core Loading –  $t_{\text{sim}} = 0$
- Continuous feed
  - Feed rate at anytime must be equal to half of FP removal rate ( $dF/dt$ )
- Assume constant power level,

$F$  = a total amount of FP [atoms]

$P$  = a desired power level [energy/time]

$\kappa$  = a number of FP released for energy released [atoms/energy]

$\varepsilon$  = FP separation efficiency

$I$  = a total initial inventory [atoms]

$\dot{C}$  = a processing capacity [atoms/time]

$$\dot{F} = \kappa P - \frac{\varepsilon \dot{C}}{I} F, \quad F(0) = 0$$

# Birth Time of Atom Sources

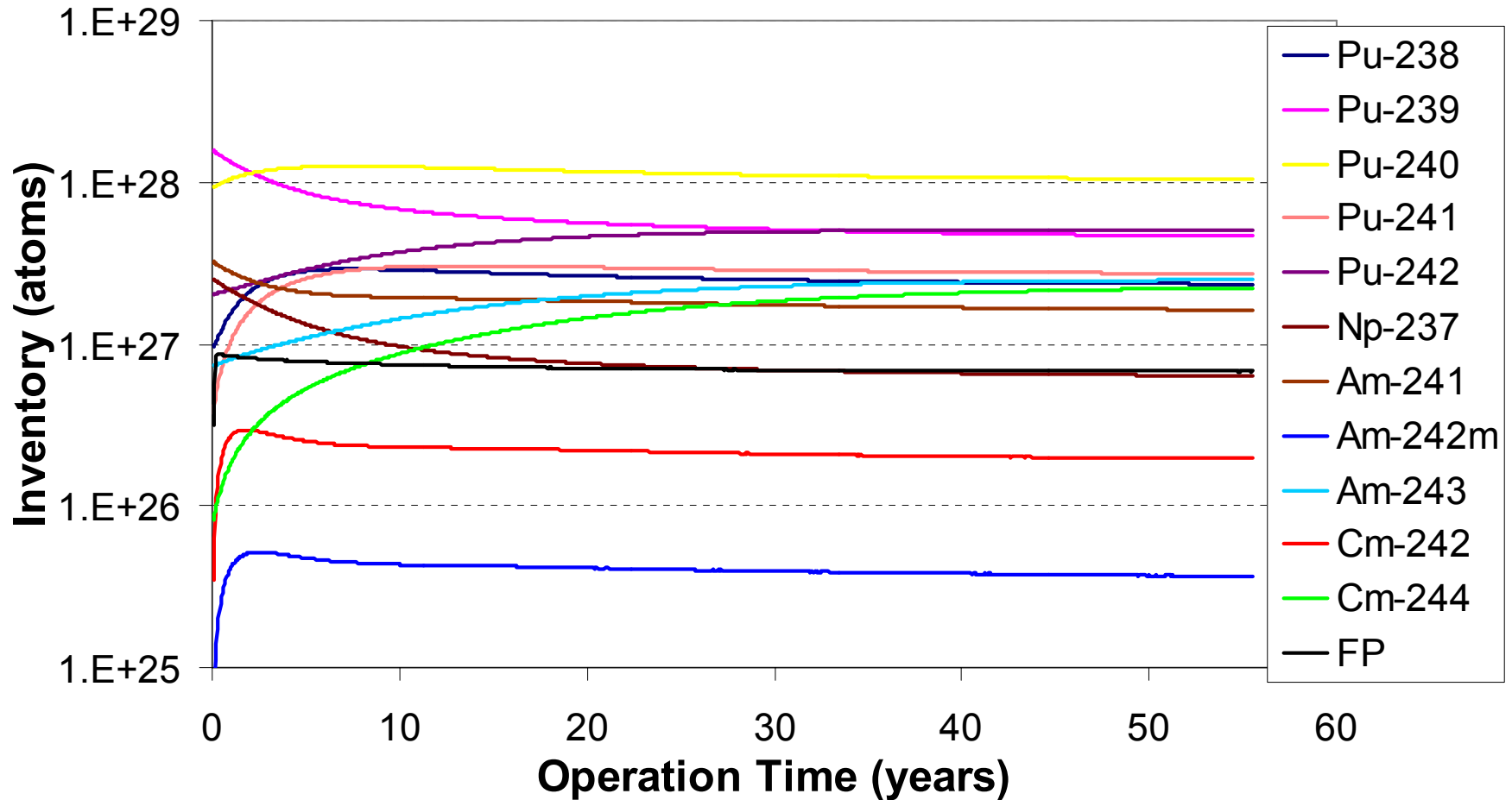
Inventory of FP at any time is given by

$$F(t) = \frac{\kappa P I}{\varepsilon \dot{C}} (1 - e^{-\varepsilon \dot{C} t / I})$$

Feed Rate is therefore given by

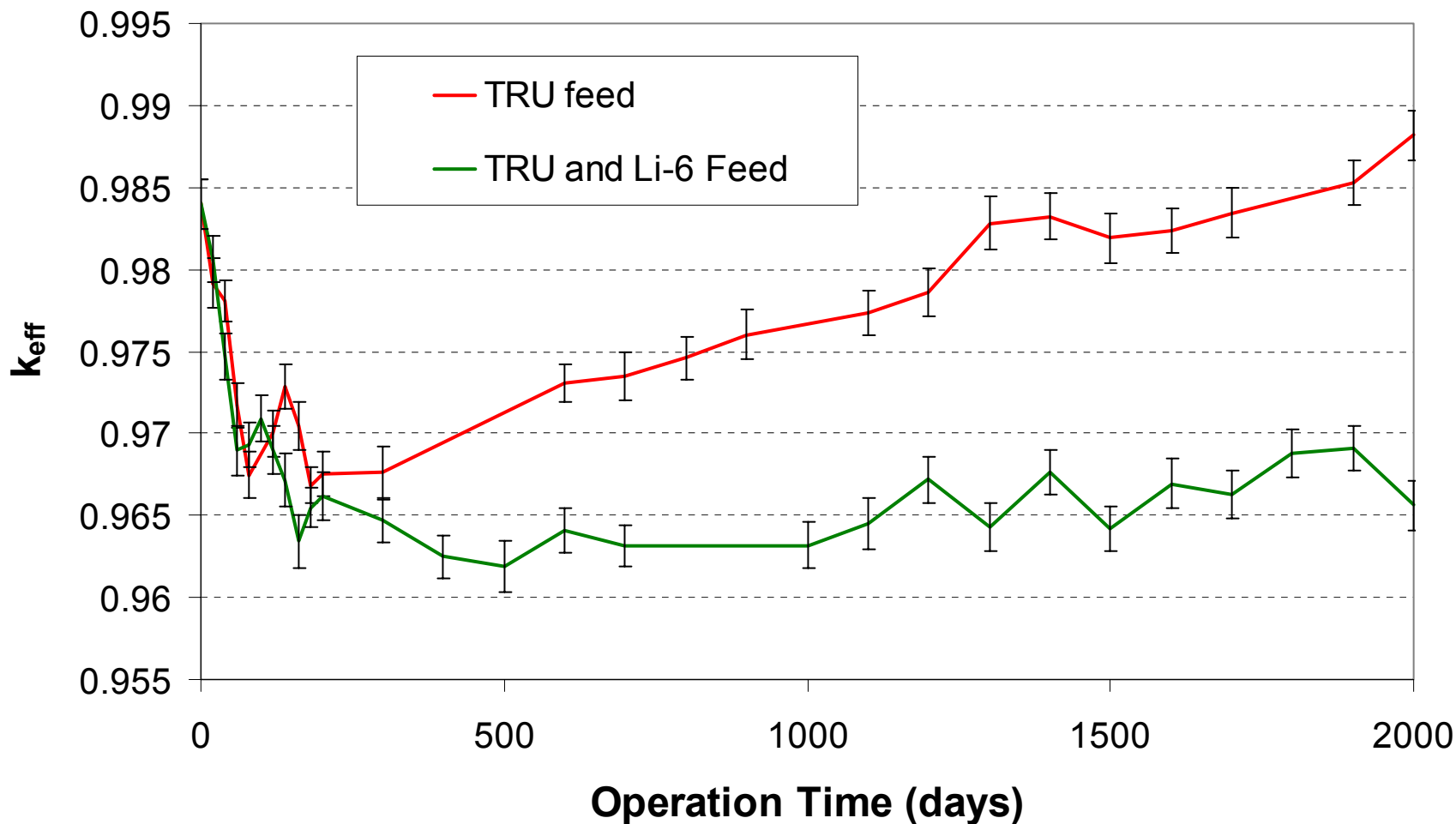
$$\frac{1}{2} \frac{\varepsilon \dot{C}}{I} F(t_{sim}) = \frac{\kappa P}{2} (1 - e^{-\varepsilon \dot{C} t_{sim} / I}), \quad 0 < t_{sim} < T_{sim}$$

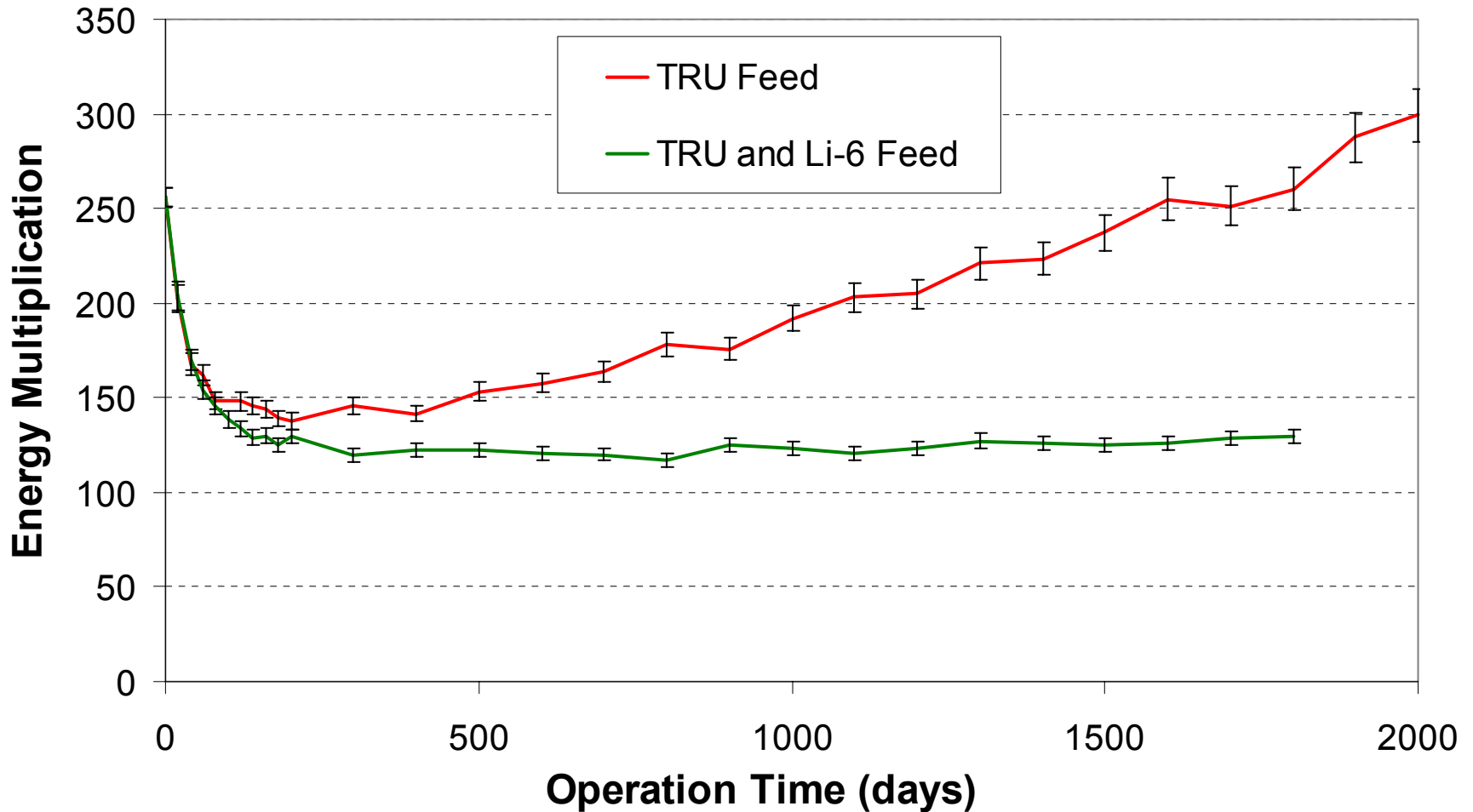
# Results

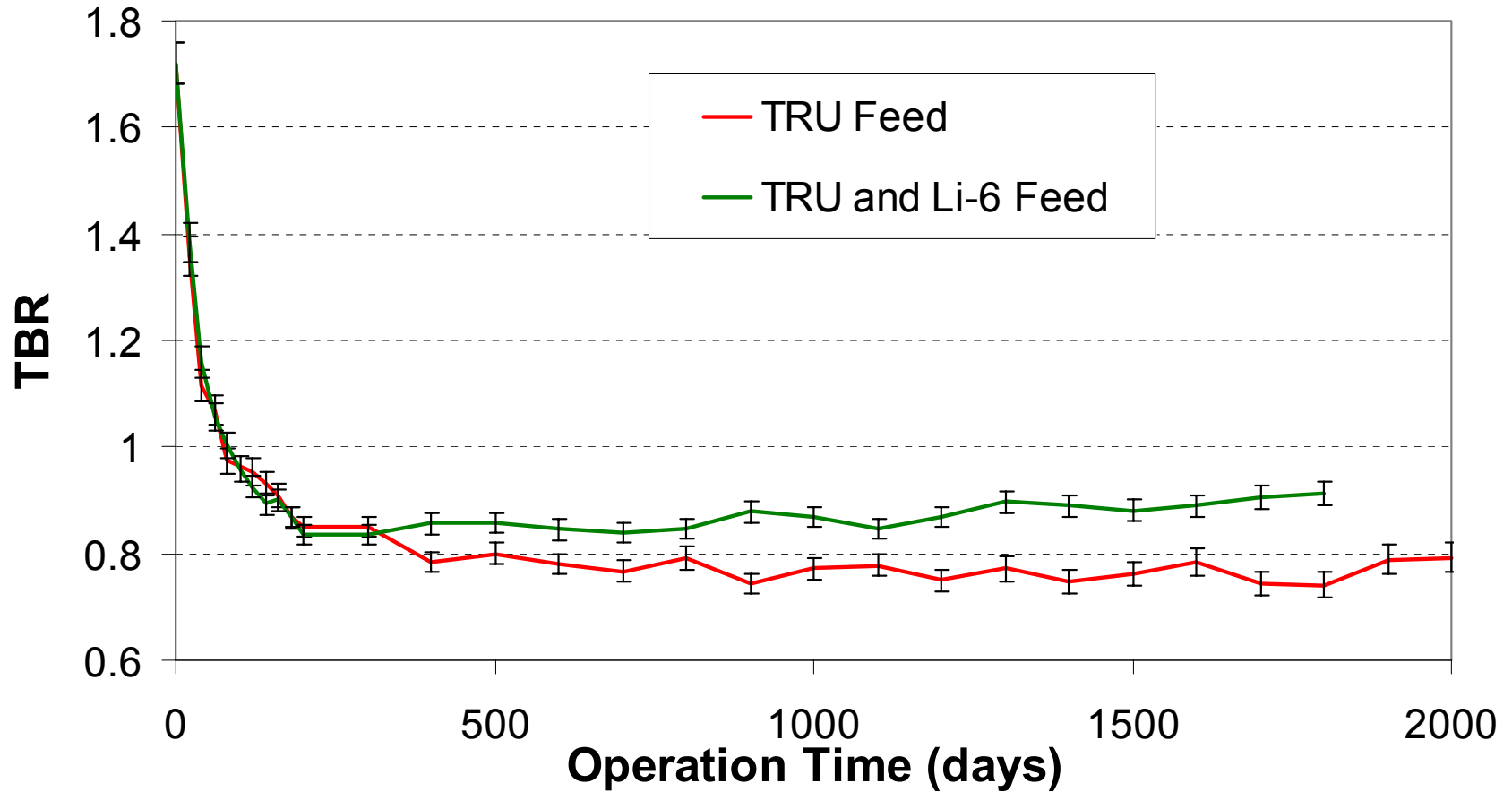


- Equilibrium achieved after  $\sim 30$  years

# Results Criticality

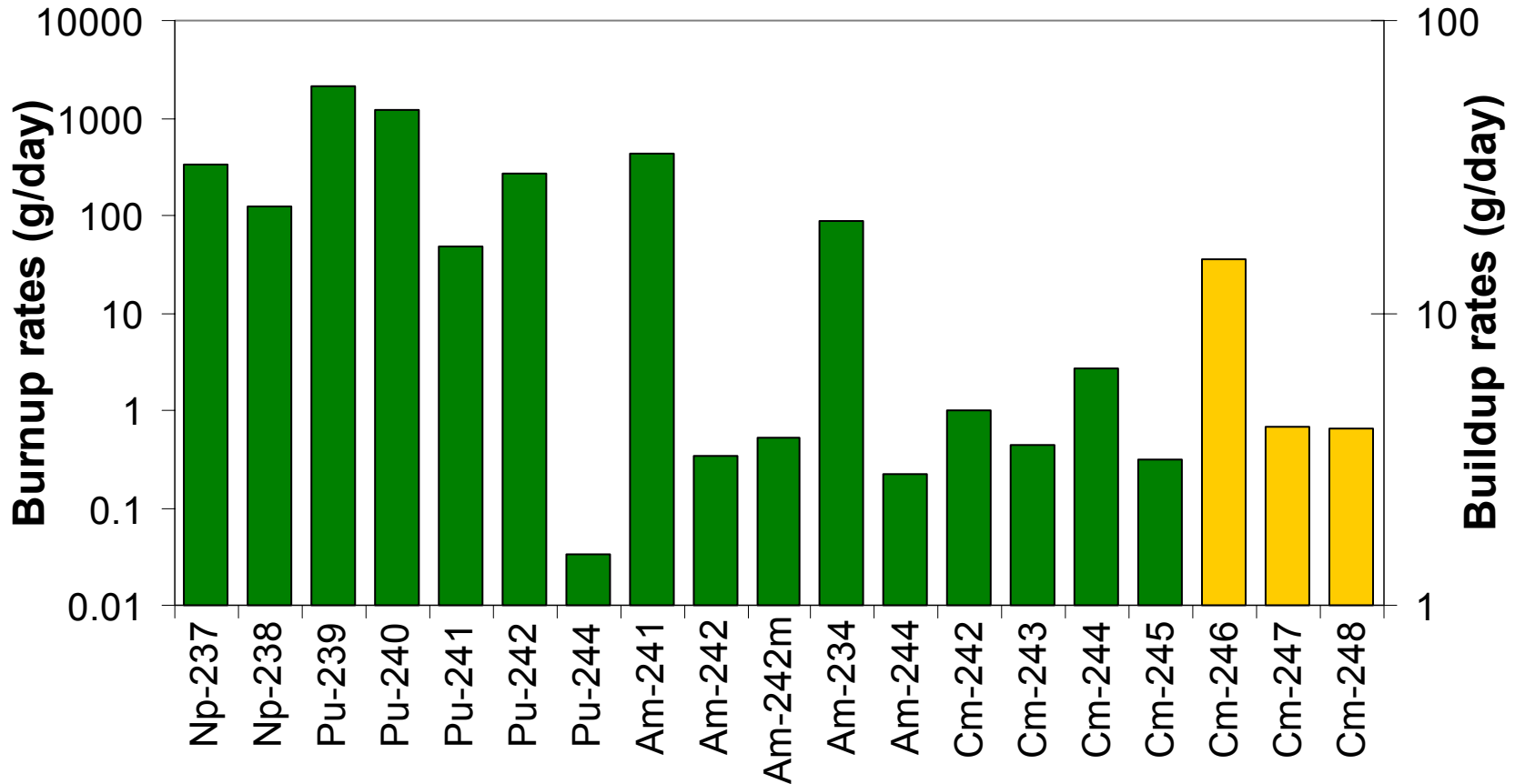








# Results



- Actinides burnup <sup>Isotopes</sup> = 1335 kg/ years

# Future Work

- Need a tighter coupling between neutronics and isotopics
  - Imply reactivity control mechanism
- Iterative scheme between MCNP & MCise
  1. Use MCNP to find the reactivity control state,  $S_i$ , that achieves a desired energy multiplication for the current isotopic inventory state,  $I_i$ ,
  2. Use the neutron flux from step 1 with MCise to determine isotopic distributions for the next time step,  $I_{i+1}$ .



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# Question & Comments

[wilsonp@engr.wisc.edu](mailto:wilsonp@engr.wisc.edu)

